Abductive, causal, and counterfactual conditionals under incomplete probabilistic knowledge

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Introduction

Probabilistic truth table task in terms of probability logic: Participants are presented with tasks containing the following premises:

 $\{p(A \land C) = x_1, p(A \land \neg C) = x_2, p(\neg A \land C) = x_3, p(\neg A \land \neg C) = x_4\}$

and asked to infer their degree of belief in *If A*, *then C*. Based on their responses, the participants' interpretation of the conditional is given by:

Interpretation	Conclusion
Material conditional	$p(A \supset C) = x_1 + x_3 + x_4$
Conjunction	$p(A \wedge C) = x_1$
Biconditional	$p(A \equiv C) = x_1 + x_4$
Biconditional event	$p(C A) = x_1/(x_1 + x_2 + x_3)$
Conditional event	$p(C A) = x_1/(x_1+x_2)$

Observation:

Most people interpret their beliefs in conditionals by p(C|A) even if x_1, \ldots, x_4 may be imprecise (Pfeifer, 2013) and the conditional is formulated as a counterfactual: If A were the case, C would be the case (see, e.g., Pfeifer & Stöckle-Schobel, 2015).

Research questions:

- How do people interpret causal (*if cause, then effect*) and abductive (*if effect, then cause*) conditionals?
- Are there response differences if they are formulated as indicative conditionals or as counterfactuals?
- How do people deal with imprecise probabilities?

Method

- Participants: 80 Finnish university students.
- Material: 18 pen and paper tasks.
- Design: 2×2 between participants design:

	Туре	Formulation	S
Condition 1	non-causal	indicative	(<i>n</i>
Condition 2	non-causal	counterfactual	(<i>n</i>
Condition 3	causal	counterfactual	(<i>n</i>
Condition 4	abductive	counterfactual	(<i>n</i>

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